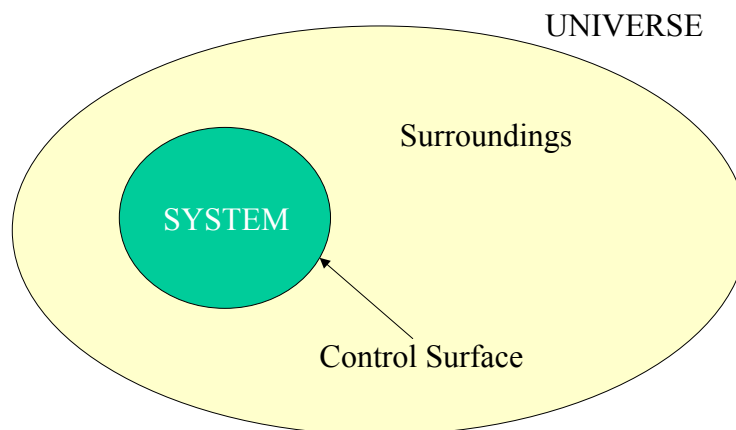


ME242 – MECHANICAL ENGINEERING SYSTEMS

LECTURE 2

- System Reticulation 2.1
- Source-Load Synthesis 2.1
- Generalized Forces and Velocities 2.2

System Reticulation

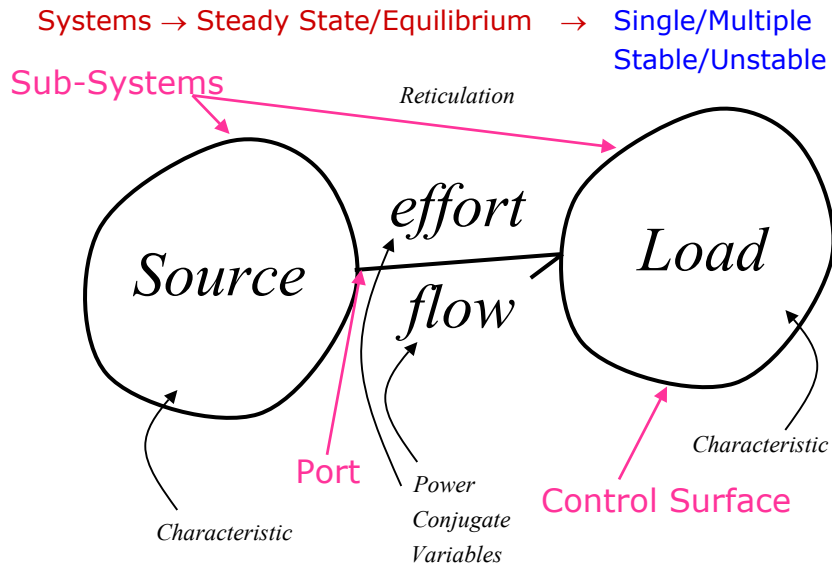


Reticulate means to make into or like a net



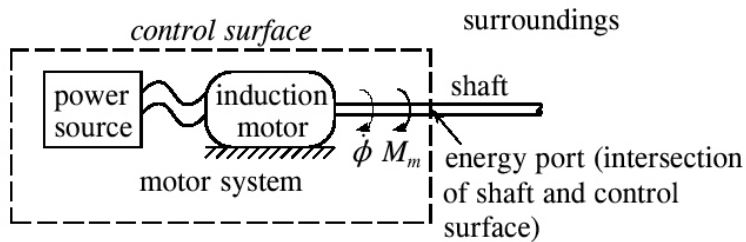
System = Subsystems + meshpoints or bonds of the net

Source-Load Synthesis



Source Subsystem

Induction Motor



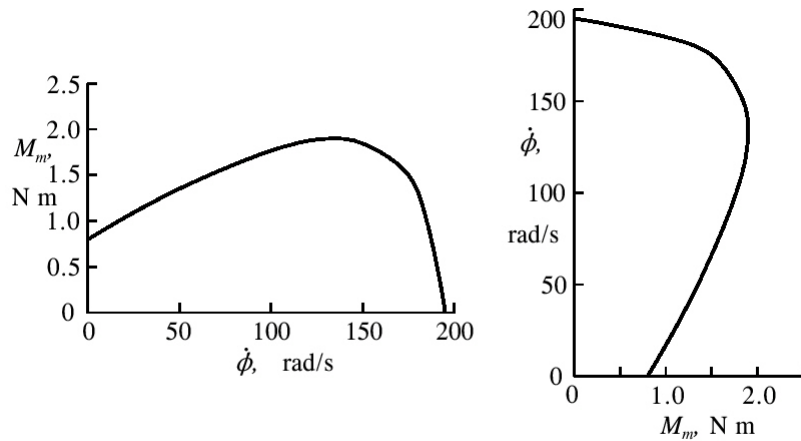
Induction Motor

$$\frac{M_m}{\dot{\phi}}$$

$$P = M_m \dot{\phi}$$

Source Subsystem

Induction Motor - Characteristic

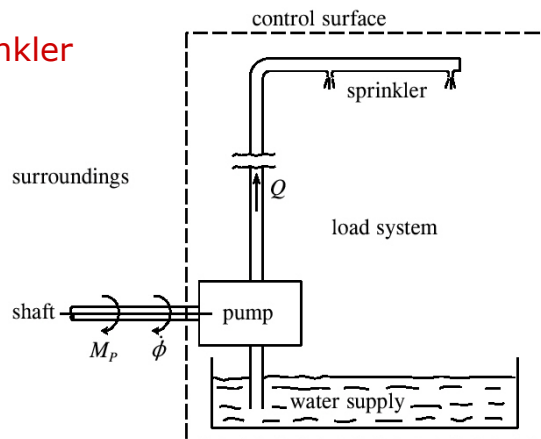


$$M_m = M_m(\dot{\phi})$$

$$\dot{\phi} = \dot{\phi}(M_m)$$

Load Subsystem

Water Sprinkler

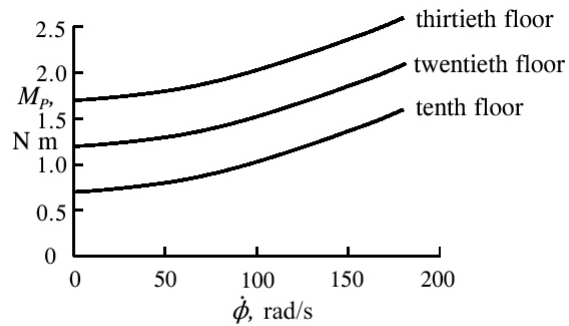


$$\frac{M_p}{\dot{\phi}} \rightarrow \text{Load System}$$

$$P = M_p \dot{\phi}$$

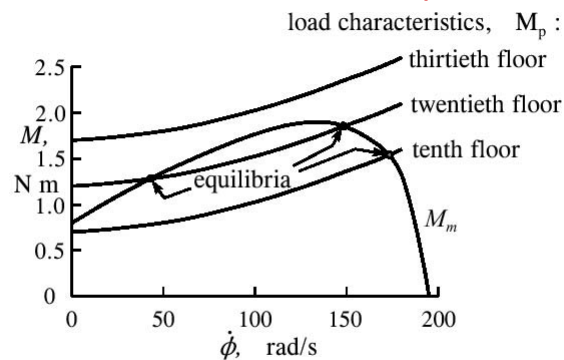
Load Subsystem

Water Sprinkler - Characteristic



Source-Load Synthesis

Induction Motor $\leftrightarrow$ Water Sprinkler

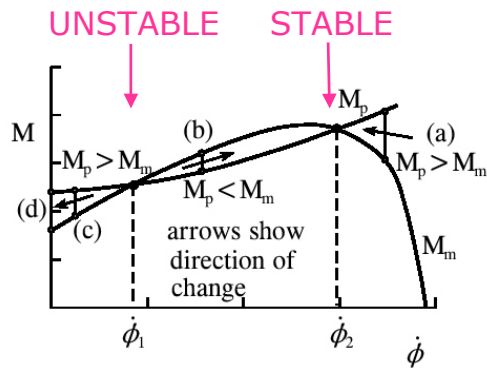


Equilibrium $\Leftrightarrow$ Both conjugate variables have common values



Source-Load Synthesis: Stability of Equilibrium

Induction Motor $\leftrightarrow$ Water Sprinkler



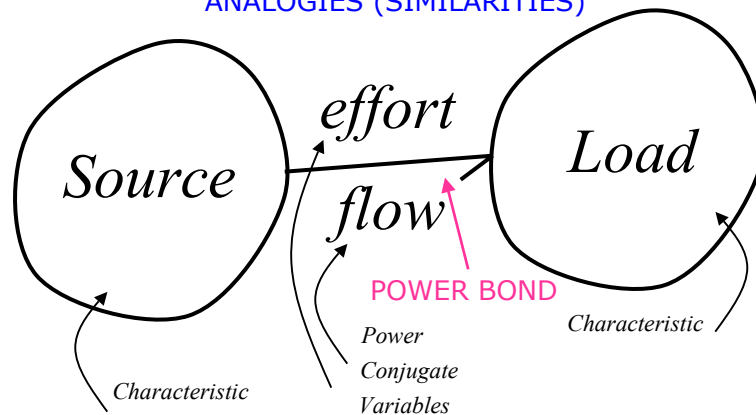
Generalized Forces and Velocities

Power is the product of two conjugate variables

Power = effort (generalized force) $\times$ flow (generalized velocity)



ANALOGIES (SIMILARITIES)



Conjugate Power Variables

effort or generalized force

----labeled as "e" or "p"

flow or generalized velocity

---labeled as either "f" or "q"

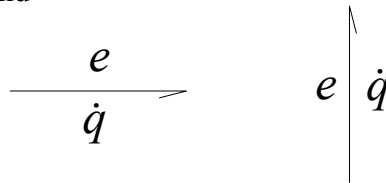
Power = effort × flow

$$P = e\dot{q}$$

Generalized Forces and Velocities

Convention:

- Effort variable written above a horizontal bond or to the left of a vertical bond
- Flow variable written below a horizontal bond or to the right of a vertical bond



- The half arrow on the bonds indicate the direction that power when $P > 0$
- The half arrow should be placed on the flow side of the bond

Generalized Forces and Velocities

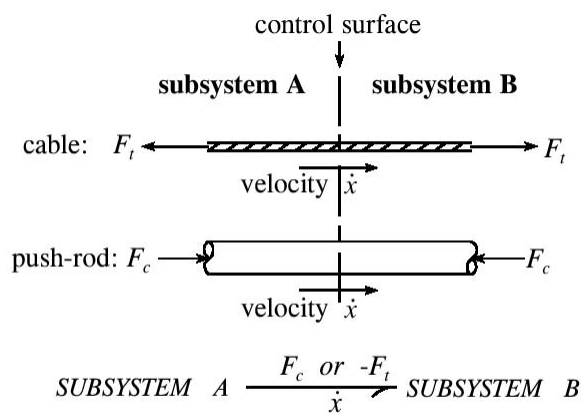
Effort vs. Flow:

examine the variables action onto the system
and the reaction on its environment

if the action/reaction symmetric than scalar
---like forces and voltages, i.e. efforts

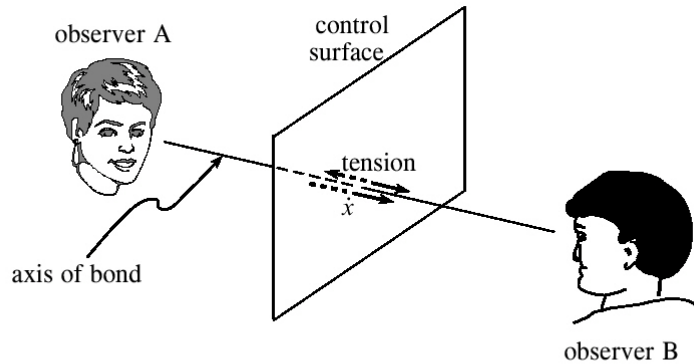
if the action/reaction antisymmetric than vector
---like velocities and currents, i.e. flows

Longitudinal Mechanical Motion



$$P = -F_t \dot{x}, \text{ or } P = F_c \dot{x}$$

Generalized Forces and Velocities

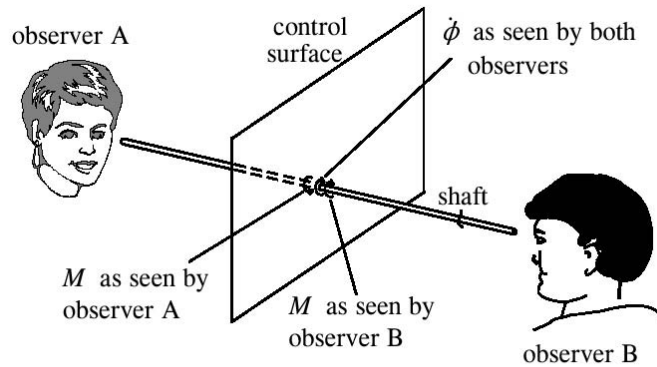


Tension, Compression	→	Symmetry	→	Effort
Velocity	→	Anti-Symmetry	→	Flow

Rotational Motion

Induction Motor $\xrightarrow[\dot{\phi}]{M_m}$ $\boxed{P = M_m \dot{\phi}}$

Rotational Motion



Moment

→

Symmetry

→

Effort

Angular Velocity

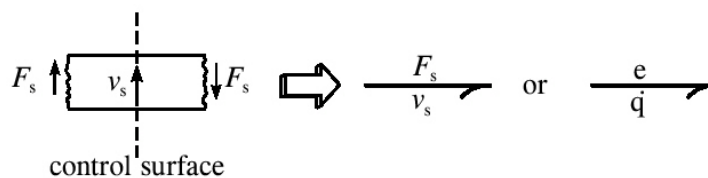
→

Anti-Symmetry

→

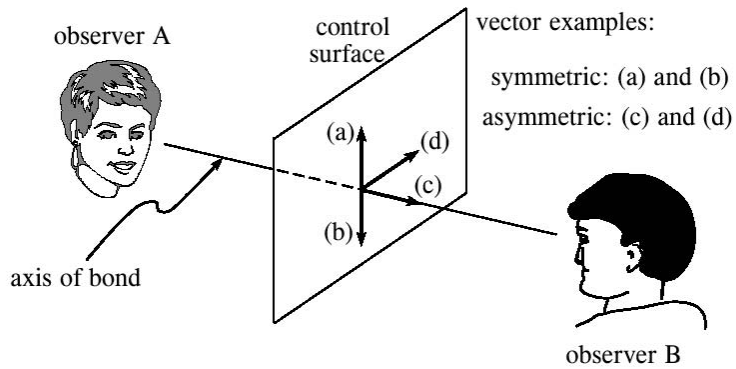
Flow

Lateral Motion



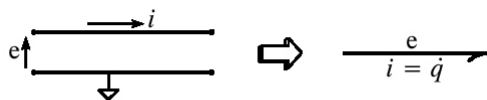
$$P = F_s v_s$$

Lateral Motion



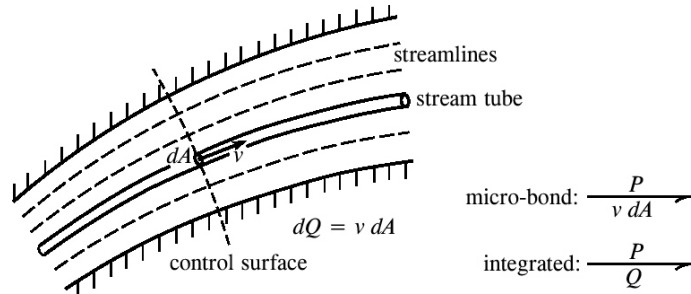
Force → Symmetry → Effort
Angular Velocity → Anti-Symmetry → Flow

Electric Conductor



$$P = ei$$

Incompressible Fluid Flow



$$P = PQ$$

Generalized Forces and Velocities

	Generalized Force or Effort, e	Generalized Velocity or Flow, $\dot{q}$
Mechanical Longitudinal	F_c	$v = \dot{x}$
Mechanical Transverse: Rotation	M	$\dot{\phi}$
Translation (Shear)	F_s	v_s
Electric Conductor	e	i
Incompressible Fluid	P	$Q = \dot{V}$

Mechanical Systems ↔ ANALOGY ↔ Electrical Systems