## Bonds and preferred stock

Investing in fixed income securities

## Basic definitions

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$\qquad$

- Stockholders are the owners of the firm
- Two types of stock: preferred and common $\qquad$ Preferred stock: relatively unimportant, safer than common stock but very limited gains
aCommon stock: ultimate owners of the firm, risky, unlimited earnings potential
-Bond: Corporate IOU, a debt of the firm
- Bondholders are creditors, not owners of the firm
- Safer position but lower expected returns than stock


## Preferred(?) stock

$\qquad$
-PPreferred shareholders legally rank behind all $\qquad$ creditors (banks, bond holders) but ahead of common stockholders in claim on income and assets $\qquad$
UNo voting rights - who cares

- Not very common nowadays $\qquad$
Like common stock, preferred stock has no maturity date
-Pays a fixed dividend - does not rise as $\qquad$ company profits rise
- $\$ 8.00$ now and $\$ 8.00$ thirty years from now


## Return on preferred stock

-Buy a share at its current market price and $\qquad$ receive an infinite annuity of dividends
-Use our PV of annuity formula $\qquad$

- PV ${ }_{0}=\operatorname{PMT}\left(\right.$ PVIF $\left._{\mathrm{a}}-i \%-n\right)=\operatorname{PMT}\left(\right.$ PVIF $\left._{\mathrm{a}}-i \%-\infty\right)$
- Turns out that with $\mathrm{n}=>\infty, \mathrm{PV}_{0}=\mathrm{PMT} / \mathrm{i}$ or $\mathrm{i}=\mathrm{PMT} / \mathrm{PV}_{0}$ $\qquad$
DIf $\mathrm{P}_{\mathrm{IBM}}=\$ 100$ and $\mathrm{D}_{\mathrm{IBM}}=\$ 8.00$, yield or rate of return $\mathrm{i}=\mathrm{D} / \mathrm{P}=8 / 100=8.0 \%$ (<=remember!)
-You'll receive an $\$ 8.00$ a year dividend (actually $\$ 2.00$ each quarter) for ever - the $\$ 8.00$ is fixed $\qquad$
$\qquad$


## Inverse relationship

$\qquad$

DEven though preferred stock is not $\qquad$ important, let's use it to illustrate a very important relationship between interest $\qquad$ rate* and price
$\square P=D / i$ or $i=D / P$ ( $D$ is fixed or constant) $\qquad$
$\square$ As interest rate rises, price falls
$\square$ As price rises, interest rate falls $\qquad$

* interest rate $\equiv$ return $\equiv$ yield $\qquad$
$\qquad$

Why P changes as i changes


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## Why P changes as i changes

－Say HP and GE issue new preferred stock with yields of $10 \%$（perfect substitutes for IBM）
－Assume $P_{H P}=100$ and $D_{H P}=10$ so that $i_{H P}=10 / 100=10 \%$ and $\mathrm{P}_{\mathrm{GE}}=50$ and $\mathrm{D}_{\mathrm{GE}}=5$ so that $\mathrm{i}_{\mathrm{GE}}=5 / 50=10 \%$
－Investors will now demand same 10\％yield on IBM preferred since it＇s essentially the same as HP and GE preferred $i_{I B M}=10 \%=D_{\text {IBM }} / P_{I B M}$
－Investors can get $\$ 10$ dividends by paying $\$ 100$ for HP and GE．Why pay $\$ 100$ for IBM and get only $\$ 8$ ？
$\square$ With $D_{\text {IBM }}$ fixed at $\$ 8.00, \mathrm{P}_{\mathrm{IBM}}=8 / .10=\$ 80$ and IBM shares drop from $\$ 100$ to $\$ 80$
－ $\mathrm{P}_{\text {IBM }}$ must drop to raise its yield up to the market rate

## Example of interest rate risk

$\qquad$
DEven though the likelihood of IBM defaulting on its preferred stock is very， very low，there＇s still risk present $\qquad$
Olf interest rates rise（in our example i goes from $8 \%$ to $10 \%$ ），price of the stock drops $\qquad$ from $\$ 100$ to $\$ 80$ and that＇s a capital loss of $\$ 20$ a share
DInterest rate risk is especially important when investing in bonds

## Bonds

DBonds：interest bearing IOU＇s issued by $\qquad$ corporations，municipalities and US Gov＇t
DInitial buyer lends money to the seller
$\qquad$
－Bondholders are creditors，not owners
－Buyers $\equiv$ investors $\equiv$ lenders $\equiv$ creditors $\equiv$ you and me，IBM，Prudential Insurance
－Sellers ミ issuers ミ borrowers ミ HP，IBM， City of Bethlehem，U．S．Treasury

## First in line

-Bondholders have a prior claim on income and assets - at the head of the line

- Bond's coupon interest payment must be paid before any dividends
- At bankruptcy, all creditors must be $100 \%$ satisfied before any stock or equity holders
-Bond is a contract between the issuer and the investors
- Everything is spelled out in advance

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## Everything is fixed

$\qquad$
-Principal $\equiv$ face value $\equiv$ par value $\equiv \$ 1000$
-Annual coupon $=8 \%$ payable semi-annual

- Coupon $=(.08 \times 1000) / 2=\$ 40$ every 6 months
- Olden days, granny clipped her coupons (below)
- Maturity date $=$ August 1, 20XX (25 years)
- Maturity $=2 \times 25=50$ periods $=>50$ coupons below $\qquad$

| 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 |
| 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 |
| 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 |
| 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 | 40 |

## Coupons + principal

$\square$ Bondholder receives an annuity of coupons plus the face value at maturity
$\square P_{0}=C\left(\right.$ PVIF $\left._{a}-i \%-n\right)+1,000 /(1+i)^{n}$ $\qquad$
DFour variables: $P_{0}, C$, $i$ and $n$

- Given 3 , the calculator can find the $4^{\text {th }}$
- Realistically you'll always know $C$ and $n$
$\square$ Given i , find $P$ - what's the bond's price?
-Given $P$, find $i$ - what's the bond's yield or return?


## Given the yield, find the price

```
DP 
\squareRecap: n=50 periods, C=$40/period
If similar bonds are yielding 11%,compounded
    semiannually, i=.11/2=.055
\squareP
    - 40=>PMT 5.5=>i 50=>n 1000=>FV solve PV=-746.03
    - }\mp@subsup{P}{0}{}=$746.03<1000 sells at a discoun
    - If you pay $746.03 for the bond and hold it for }2
        years (50 periods) you'll earn 11%/yr, csa
```


## Given the price, find the yield

$\qquad$
$\square P_{0}=C\left(\right.$ PVIF $\left._{\mathrm{a}}-\mathrm{i} \%-\mathrm{n}\right)+1,000 /(1+\mathrm{i})^{\mathrm{n}}$
-Recap: $\mathrm{n}=50$ periods, $\mathrm{C}=\$ 40 /$ period
-Let's say you could buy one of these bonds for \$1,117.28

- $1,117.28=40\left(\right.$ PVIF $\left._{\mathrm{a}}-\mathrm{i} \%-50\right)+1000 /(1+\mathrm{i})^{50}$
- $-1117.28=>$ PV $40=>$ PMT $50=>n 1000=>F V$ solve $i=$ $3.5 \% /$ period or $7 \% / \mathrm{yr}$ csa
- If you pay $\$ 1,117.28$ for the bond and hold it for 25 years (50 periods) you'll earn 7\%/yr, csa

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## Enough yields and prices for now

If you pay $\$ 746.03$ for the bond and hold it for 25 $\qquad$ years (50 periods) you'll earn $11 \% / \mathrm{yr}$, csa
-If you pay $\$ 1,117.28$ for the bond and hold it for $\qquad$ 25 years (50 periods) you'll earn 7\%/yr, csa
DWe'll see later what happens if you sell early $\qquad$
USince the coupons and $\$ 1000$ par are fixed, the more you pay for the bond, the lower will be the $\qquad$ yield $\equiv$ int rate $\equiv$ return

## Types of bonds

## -Corporates

-Treasuries

- Bills, notes and bonds

DMunies

- General obligations
- Revenue bonds


## Corporate bonds

$\qquad$
DLong-term debt or IOU's of a corporation $\qquad$ - Interest paid is tax-deductible for the firm
aGives firm incentive to use debt financing $\qquad$ Interest received by investors is taxed as regular income
-Moody's and Standard \& Poor's rate nearly all bonds

- Paid a fee by the issuing company -lncreases a bond's marketability
- Ratings are based on perceived risk
$\qquad$
$\qquad$
$\qquad$


## Risk vs. yield

-Higher ratings mean lower probability of default $\qquad$

- So, lower interest rates or yields
-Lower ratings mean higher probability of failure $\qquad$
- So, higher interest rates or yields are necessary to induce investors to buy them $\qquad$
"Junk Bonds" - Ba and BB and below
- aka "high-yield" bonds - nicer name only
- Still junk
-Yields on corporate > yields on US Gov'ts


## What you need to know

$\qquad$
DDetails are spelled out in indenture $\qquad$

- Big legal document, no need to read
- Check out the prospectus if interested $\qquad$
-Most important things to know:
- Is it secured or unsecured? $\qquad$
- What's its coupon rate?
- How long to maturity? $\qquad$
- Is it a convertible or a coupe?
- Is it callable? $\qquad$


## Collateral or security

## DMortgage bonds

- Secured by specific pledged assets of firm
- If failure, pledged assets sold => proceeds go to bond holders
- Safest bonds - lowest yielding bonds $\qquad$
$\square$ Debentures
- Unsecured, backed by firm's earning power
- If failure, general creditors (ahead of stock)
- Riskiest bonds - highest yielding


## Coupon and maturity

-Coupon $=($ coupon rate $\times$ par value) $/ 2$ $\qquad$

- Fixed semi-annual interest payment
$\square$ Maturity in periods $=$ maturity in years $\times 2$ $\qquad$
- Short-term (< 5 years) safer, lower yielding
- Intermediate-term (5 to 10 years) $\qquad$
- Long-term (10 to 30 years) riskier, higher yielding
-Can always sell a bond in bond market prior to maturity


## Convertible bonds

$\qquad$
$\square$ Some bonds contain a "convertible feature" $\qquad$

- Gives investor the option of exchanging bond for a specified number of shares of firm's $\qquad$
- Conversion ratio of, say, 20 shares per bond $\qquad$ aConversion price $=1,000 / 20=\$ 50 /$ share
- If firm does well and its stock price rises above $\$ 50$ to, say $\$ 60$, investor can swap bond for $\qquad$ $20 \times 60=\$ 1,200$ of stock
-Investors find attractive - so lower yields $\qquad$


## Callable bonds

$\square$ Some bonds contain a "call feature" $\qquad$

- Gives firm option of redeeming bonds at specified price prior to maturity if interest rates have dropped
- Rather than continuing to pay old rate of $12 \%$,
$\qquad$ firm issues new bonds at 8\% and uses
$\qquad$ proceeds to "call" old bonds - saves 4\%
- Investors lose the $12 \%$ and replace with $8 \%$ $\qquad$ alnvestors find unattractive - so higher yields $\qquad$


## Government bonds

Dlssued by the U. S. Treasury

- Default-free since government can always print money to pay interest
- Interest received is exempt from state and local taxes $\qquad$
- Never callable
- Purchase directly from gov't, thru banks or in securities mkt using broker, in $\$ 1,000$ units -Bills, notes and bonds


## T-Bills

$\qquad$

- Short-term (28, 91 or 182 day maturities) $\qquad$
-Sold each week on a discount basis
- Mature at face value - no coupon
- Buy a 6-month T-Bill for $\$ 975$, matures for $\$ 1000$ yield $=\frac{(1000-975)}{975} x 2=5.13 \%$
- Interest is taxable by IRS


## Notes and bonds

## $\square$ Treasury notes

- Mature in 2, 5 or 10 years
- Semi-annual coupons electronically $\qquad$
- $i_{\text {notes }}>i_{\text {bills }}$ $\square$ Treasury bonds
- Mature in 10 to 30 years
- Semi-annual coupons electronically
- Highest yielding
- 30-year Treasury is the bench-mark


## Secondary market

Market for trading Treasury securities is enormous

- You can buy any maturity
$\qquad$
- Want a 2-week T-Bill?
aWe got that
- Want 7.5 year note?
aWe got that, too
-Prices (and therefore, yields) are determined by supply and demand


## Municipal bonds - munies

$\qquad$

Ilssued by state and local governments $\qquad$
-Two types of munies

- General obligation bonds
-Backed by full faith and credit (taxing power) of the issuer
$\qquad$
- Revenue bonds
-Proceeds fund a specific project
- Hospital, toll road, power plant, etc.
-Backed only by revenue generated from project
- Riskier - so higher yields than general obligation bonds

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## What's so special about munies

## $\square$ Interest received is exempt from federal

$\qquad$ income taxes
IInterest received is exempt from state $\qquad$ and local income taxes if investor lives in same state as issuer $\qquad$
$\square$ yield ${ }_{\text {muni }}<$ yield $_{\text {corp bonds }} \quad$ (deceiving)

- Say 30\% tax-bracket
- Stated rates $\mathrm{i}_{\text {corp }}=10 \%$ and $\mathrm{i}_{\text {muni }}=8 \%$
- After-tax rates $i_{\text {corp }}=.10(1-.30)=7 \%$ vs $i_{\text {muni }}=8 \%$


## Bond yields and prices

-Even if bond is $100 \%$ default-free, it's still $\qquad$ susceptible to interest rate risk

- If interest rates rise, bond prices fall $\qquad$
DOur original AAA-rated debenture at issuance
- Coupon=8\%/yr, maturity=25 yrs, par=\$1,000 aCoupon $=.08 \times 1000 / 2=\$ 40 /$ per and $\mathrm{n}=25 \times 2=50$ per
- Other 25-yr AAA debentures yield $8 \% / \mathrm{yr}=4 \% / \mathrm{per}$ $\square P_{0}=40\left(\right.$ PVIF $\left._{\mathrm{a}}-4 \%-50\right)+1000 /(1.04)^{50}=\$ 1,000$ aNormally bonds are issued close to par $=\$ 1,000$


## What a difference 10 yrs makes

$\qquad$
-Let's pick up the action 10 years later $\qquad$

- 15 years ( 30 periods) left to maturity
- Now 15-yr AAA debentures yield $12 \% / \mathrm{yr}=6 \% / \mathrm{per}$ $\qquad$
- $\mathrm{P}_{10}=40\left(\right.$ PVIF $\left._{\mathrm{a}}-6 \%-30\right)+1000 /(1.06)^{30}$
- $40=>$ PMT $6=>$ i $30=>n 1000=>F V$ solve $P V=-724.70$
- $\mathrm{P}_{10}=\$ 724.70$
- If you sell now (year 10), take a $\$ 275$ capital loss
- If you don't sell, you'll get $\$ 1,000$ in 15 yrs
aBut your money is tied up earning $8 \%$ when it could be earning $12 \%$ - you need to learn to think this way!

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## Same 10 years, happier scenario

-Instead of AAA-debenture rate rising from 8\% to $12 \% / \mathrm{yr}$, assume it drops to $4 \% / \mathrm{yr}$ or $2 \% /$ period

- $\mathrm{P}_{10}=40\left(\mathrm{PVIF}_{\mathrm{a}}-2 \%-30\right)+1000 /(1.02)^{30}$
- 40=>PMT 2=>i 30=>n 1000=>FV solve PV=-1,447.93
- $\mathrm{P}_{10}=\$ 1,447.93$ and you'd get a $\$ 448$ capital gain
-Remember our important inverse relationship between yield and price?
-What rate of return did you make in this happy scenario?


## Your 10-year return

- You paid $\$ 1,000$, received coupons for 10 years (20 periods), sold it for \$1,447.93
$\square P V_{0}=C\left(P V I F_{a}-r \%-n\right)+F V /(1+r)^{n}$
$\square 1,000=40\left(\right.$ PVIF $\left._{\mathrm{a}}-\mathrm{r} \%-20\right)+1447.93 /(1+\mathrm{r})^{20}$
$\square-1,000=>P V 40=>P M T$ 1,447.93 $\quad$ =>FV $20=>n$ solve for $r=5.31 \% /$ period $\times 2=$ 10.62\%/year csa


## Maturity and yield

$\square$ Maturity is key factor affecting bond's yield

- Long-term bonds are inherently riskier than short-term bonds
- Lots more can go wrong over the life of 20-year bond than over the life of a 2-year bond or a 2-week bond (T-Bill)
- For a given $\Delta \mathrm{i}$
- $\Delta P_{20 y}>\Delta P_{2 x}>\Delta P_{2 w k}$

UNormally $i_{L T}>i_{\text {ST }}$ to compensate for higher risk

## Inducing investors to buy

If bond has an unattractive feature, issuer will need to offer an incentive to investor in the form of a higher yield

- $i_{\text {debenture }}>i_{\text {mortgage }}$
- $\mathrm{i}_{\text {long-term }}>\mathrm{i}_{\text {short-term }}$
- $\mathrm{i}_{\text {callable }}>\mathrm{i}_{\text {noncallable }}$
- $i_{\text {nonconvertible }}>i_{\text {convertible }}$
- $\mathrm{i}_{\mathrm{CCC}}>\mathrm{i}_{\mathrm{AAA}}$
-But is the extra yield worth it?


## Lots of time and effort

$\square$ Investing in stocks and bonds can be financially rewarding
-But takes a lot of time to research the buy and sell decisions
$\square$ ls there an easier way to get the benefits of investing in stocks and bond?
$\square$ Yes - see next module
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$ -

