

LINEAR MODELS AND DECISIONS MIDTERM - II

- 10 21) $\begin{pmatrix} 2 & -2 & 0 \\ 3 & -1 & 5 \end{pmatrix} \begin{pmatrix} 1 & 3 \\ 2 & -2 \\ -1 & 4 \end{pmatrix} = ?$
- 10 22) DEFINE TWO SETS OF NECESSARY AND SUFFICIENT CONDITIONS FOR A MATRIX TO HAVE AN INVERSE.
- 10 23) WHAT IS THE PROJECTION INTO THE SPACE SPANNED BY THE COLUMNS OF THE MATRIX T , WITH NO CHANGE OF BASIS, AND ASSUMING T IS OF FULL RANK?
- 10 24) SHOW THAT $P = PP$ FOR P A PROJECTION.
- 15 25) SOLVE FOR X IN $X = (X - Y)Z$ ASSUMING ALL NECESSARY INVERSES EXIST.
- 10 26) DEFINE A RANDOM VARIABLE, A RANDOM VEC
- 10 27) DEFINE A RANDOM VECTOR,
- 10 28) DEFINE EXPECTATION OF A RANDOM VARIABLE.
- 10 29) DEFINE EXPECTATION OF A RANDOM VECTOR,
- 10 30) DEFINE THE VARIANCE OF A RANDOM VECTOR.
- 10 31) DEFINE A UNIT NORMAL DISTRIBUTION.
- 10 32) DEFINE A χ^2 DISTRIBUTION.
- 10 33) DEFINE A t DISTRIBUTION.
- 10 34) DEFINE AN F DISTRIBUTION.
- 10 35) SHOW THAT $\frac{\bar{X} - \mu}{\sqrt{s^2/N}}$ HAS A $t_{(n-1)}$ DISTRIBUTION.